

Same distance

$$\Rightarrow V_m \cdot R_m = V_g \cdot R_g$$

$$\frac{V_m}{V_g} = 75 = \frac{R_g}{R_m}$$

Same force (Newton's third law)

$$\ddagger T = F \cdot R$$

$$\Rightarrow \frac{T_m}{T_g} = \frac{R_m}{R_g} = \frac{1}{75}$$

$$T_m = \frac{T_g}{75} \quad \text{only 95\% efficiency}$$

$$\Rightarrow T_{me} = \frac{T_g}{75} \cdot \frac{1}{0.95} \cdot 2 \quad \leftarrow 2 \text{ gears}$$

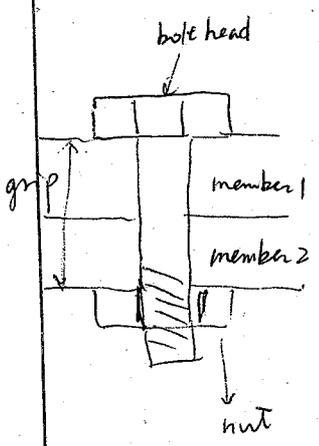
$$\text{Horse Power} = \text{HP} = \frac{T \cdot n}{63000} \quad \rightarrow \frac{\text{rev}}{\text{min}}$$

$$= \frac{\left(\frac{753}{75} \cdot \frac{1}{0.95} \cdot 2 \right) \cdot 1720}{63000}$$

$$= 0.58 \text{ HP}$$

bolt joint

go back P49 figure.



F_i : "preload" produced by tightening nut
 members are "compressed" by force F_i
 member stretch to give bolt "tensile" force F_i

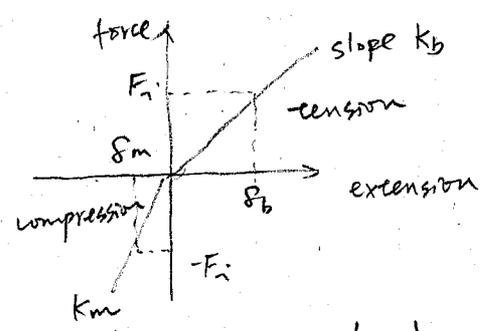
note stress concentration.

- 1) junction of bolt head & shank
- 2) junction of threaded & unthreaded portions of shank
- 3) first thread inside nut

bolt will usually fail at one of these positions

Let

F_b, δ_b - bolt force, extension
 F_m, δ_m - member force, extensions



If there is no external load on the joint

$$F_b = F_i, F_m = -F_i$$

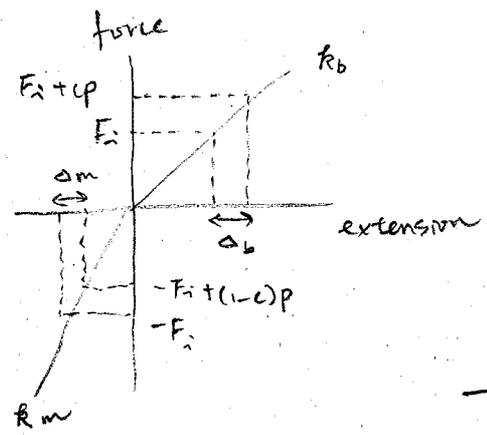
Now, if we try to pull the joint apart with an external tensile force P

P } C portion of P acting upon } bolt members
 } $1-C$

we want to determine C .

$$\begin{cases} F_b = F_i + cP \\ F_m = -F_i + (1-c)P \end{cases}$$

Let Δ_b = increase in extension of bolt due to cP
 Δ_m = decrease in compression of members due to $(1-c)P$



$$cP = k_b \Delta_b$$

$$(1-c)P = k_m \Delta_m$$

as long as $F_m < 0$
 \rightarrow the joint remains intact
 we must have $\Delta_m = \Delta_b$

$$\rightarrow \frac{cP}{k_b} = \frac{(1-c)P}{k_m}$$

$$\rightarrow c = \frac{k_b}{k_b + k_m}$$

$c \rightarrow$ fraction of P acts on bolt called "joint constant"

Note: $c \ll 1$ if $k_b \ll k_m$: most extended load acts on members

to minimize load on bolt, we desire stiffness of bolt to be small compare to stiffness of members.

Condition for joint to remain intact

$F_m < 0 \rightarrow$ members will not separate & joint is intact

$$c = \frac{k_b}{k_b + k_m} \text{ into } F_m = -F_i + (1-c)P$$

$$F_m < 0 \Rightarrow P < \frac{k_b + k_m}{k_m} F_i \text{ max. allowable } P \text{ for preload } F_i$$

$$\text{or } F_i > \frac{k_m}{k_b + k_m} P \text{ min. preload } F_i \text{ for given } P$$